

ProALIGN: Directly learning alignments for protein structure prediction via exploiting context-specific alignment motifs

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1 Relationship between input features and predicted model quality

To evaluate the relationship between input features and predicted model quality by ProALIGN, we further plot the scatter figure of the feature qualities and predicted model quality of each target Test1K dataset, and then calculate the corresponding linear correlation coefficients. As shown in Figure S1, predicted secondary structures accuracy, solvent accessibility accuracy, distances quality and MSA quality used in our approach have relatively low Pearson correlation coefficient with the prediction model qualities (less than 0.4).

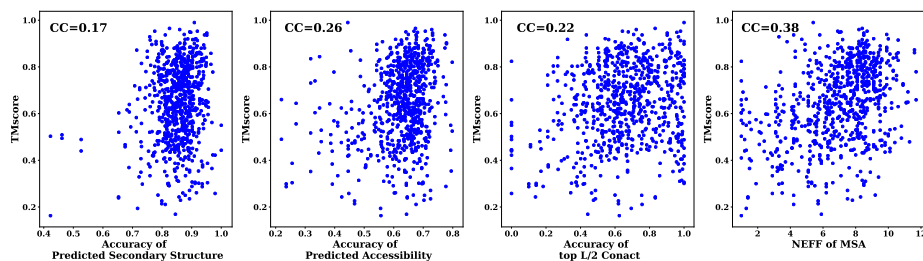


Fig. S1. Effects of the accuracy of input features on the final predicted model by ProALIGN. Dataset: Test1K. The input features include: (a) Predicted secondary structure, whose quality is measured based on the ratio of correct prediction by PSIPRED; (b) Solvent accessibility, whose quality is measured based on the ratio of correct prediction by RaptorX-property (c) Inter-residue distance, whose quality is measured using accuracy of the top $L/2$ predicted contacts; and (d) MSA, whose quality is measured using NEFF

2 The dynamic programming method for inferring alignment from alignment likelihood matrix

As described in Section 2.4, we calculated the optimal alignment A_{opt} by maximizing likelihood of predicted matrix obtained by neural network, at the same time satisfying the definition of valid alignment, i.e.,

$$\arg \max_{A \in S} \log P(A|S, T) - \lambda \cdot r(A). \quad (1)$$

Here, $r(A)$ represents a regular term to make the alignment compacted. In this study, we set $r(A)$ as the length of actual alignment area, i.e., the area from the first aligned residue pair to the last aligned residue pair in built alignment. Here we assume all elements in the predicted alignment likelihood matrix are independent of each other,

$$\arg \max_{A \in S} \log P(A|S, T) - \lambda \cdot r(A) \quad (2)$$

$$= \arg \max_{A \in S} \sum_i^m \sum_j^n \log P(A_{i,j}) - \lambda \cdot r(A) \quad (3)$$

, m and n represent the number of rows and columns of. We use dynamic programming to calculate the optimal alignment.

Firstly, we use state p to describe whether matrix element A_{ij} is in penalty status, in other word, whether in alignment penalty area. And then we further define three values of p : 0, 1 and 2. 0 represent the left area of alignment penalty area in alignment, 1 represent matrix element is in penalty area of alignment, and 2 represent matrix element is in right area of alignment penalty area. In addition, we set another state s to describe matrix element A_{ij} choose 0 or 1, where 1 represent match and 0 represent not. We define dynamic programming matrices $M_{i,j,p,m}$ to represent the optimal score of the partial alignment which ends in row i and column j of alignment matrix A in penalty state p and match state s . Here, the matrices are calculated recursively,

$$M_{i,j,p=0,s=0} = M_{i-1,j-1,p=0,s=0} + \sum_{k=1}^{i-1} \log P(A_{k,j-1} = 0) + \sum_{l=1}^{j-1} \log P(A_{i-1,l} = 0) + \log P(A_{i,j} = 0) \quad (4)$$

$$= \sum_{k=1}^i \sum_{l=1}^j \log P(A_{k,l} = 0) \quad (5)$$

$$M_{i,j,p=1,s=1} = \max \begin{cases} M_{i-1,j-1,p=0,s=0} + \sum_{k=1}^{i-1} \log P(A_{k,j-1} = 0) + \sum_{l=1}^{j-1} \log P(A_{i-1,l} = 0) + \log P(A_{i,j} = 1) - \lambda \\ M_{i-1,j-1,p=1,s=1} + \sum_{k=1}^{i-1} \log P(A_{k,j-1} = 0) + \sum_{l=1}^{j-1} \log P(A_{i-1,l} = 0) + \log P(A_{i,j} = 1) - \lambda \\ M_{i-1,j-1,p=1,s=0} + \sum_{k=1}^{i-1} \log P(A_{k,j-1} = 0) + \sum_{l=1}^{j-1} \log P(A_{i-1,l} = 0) + \log P(A_{i,j} = 1) - \lambda \end{cases} \quad (6)$$

$$M_{i,j,p=1,s=0} = \max \begin{cases} M_{i,j-1,p=1,s=0} + \sum_{k=1}^{i-1} \log P(A_{k,j-1} = 0) + \log P(A_{i,j} = 0) - \lambda \\ M_{i,j-1,p=1,s=1} + \sum_{k=1}^{i-1} \log P(A_{k,j-1} = 0) + \log P(A_{i,j} = 0) - \lambda \\ M_{i-1,j,p=1,s=1} + \sum_{l=1}^{j-1} \log P(A_{i-1,l} = 0) + \log P(A_{i,j} = 0) - \lambda \\ M_{i-1,j,p=1,s=0} + \sum_{l=1}^{j-1} \log P(A_{i-1,l} = 0) + \log P(A_{i,j} = 0) - \lambda \end{cases} \quad (7)$$

$$M_{i,j,p=2,s=0} = \max \begin{cases} M_{i,j-1,p=1,s=1} + \sum_{k=1}^{i-1} \log P(A_{k,j-1} = 0) + \log P(A_{i,j} = 0) \\ M_{i-1,j,p=1,s=1} + \sum_{l=1}^{j-1} \log P(A_{i-1,l} = 0) + \log P(A_{i,j} = 0) \\ M_{i,j-1,p=2,s=0} + \sum_{k=1}^{i-1} \log P(A_{k,j-1} = 0) + \log P(A_{i,j} = 0) \\ M_{i-1,j,p=2,s=0} + \sum_{l=1}^{j-1} \log P(A_{i-1,l} = 0) + \log P(A_{i,j} = 0) \end{cases} \quad (8)$$

3 Selection of hyper-parameter

Hyper-parameter λ in dynamic programming method is determined by 1000 alignment pairs randomly selected from validation dataset. We tested 13 values of λ for 0.1 to 4. The influence of different possible values are evaluated by the average predicted model quality (TMscore). The result are as shown in Table S1. As shown in Table S1, λ is not sensitive from 0.1 to 0.4, and can obtain a relatively good prediction model quality in total. Finally, we choose 0.3 as the final value.

Table S1. Influence of hyper-parameter. Dataset: Valid1K

λ	0.1	0.2	0.3	0.4	0.5	0.6	0.7	0.8	0.9	1.0
TMscore	0.585	0.586	0.586	0.585	0.580	0.574	0.567	0.561	0.554	0.542

4 Alignment cases of failing in predicting high-quality alignment

There are still some cases when this method performed worse than HHpred or other existing methods. Here, we further analyze how these happened. In the case of Test1K dataset, we identified 6 template-query pairs, for which ProALIGN generated worse structural models than HHpred (TM-score difference > 0.1). These template-query pairs, together with failure reasons, are summarized as below.

As shown in the Table S2, the failures of ProALIGN can be divided into two cases: (1) Low-quality alignment likelihood matrix. In the cases of protein pair 3c12A-4g5aA, ProALIGN outputs

Table S2. Alignment Cases Worse than HHPred with TMscore > 0.1 . Dataset: Test1K

Alignment		NEFF		Fold Type		TMscore			Failure reason
Template	Query	Template	Query	Template	Query	ProALIGN	HHpred	DeepAlign	
1yj7A	1ctfA	4.2	6.3	a+b	a+b	0.211	0.394	0.425	Low-quality alignment likelihood matrix
3c12A	4g5aA	7.4	1.3	b	b	0.194	0.451	0.465	Low-quality alignment likelihood matrix
3o0rB	3dwwA	7.8	6.3	a	a	0.480	0.585	0.683	Low-quality alignment likelihood matrix
4it7A	2o9uX	8.2	1.0	a+b	a+b	0.503	0.654	0.682	Low-quality alignment likelihood matrix
3kmiA	1xl3C	6.0	3.5	a	a	0.302	0.482	0.566	Fail to construct alignment
3hhmB	1t3jA	8.3	2.8	a	a	0.258	0.494	0.858	Fail to construct alignment

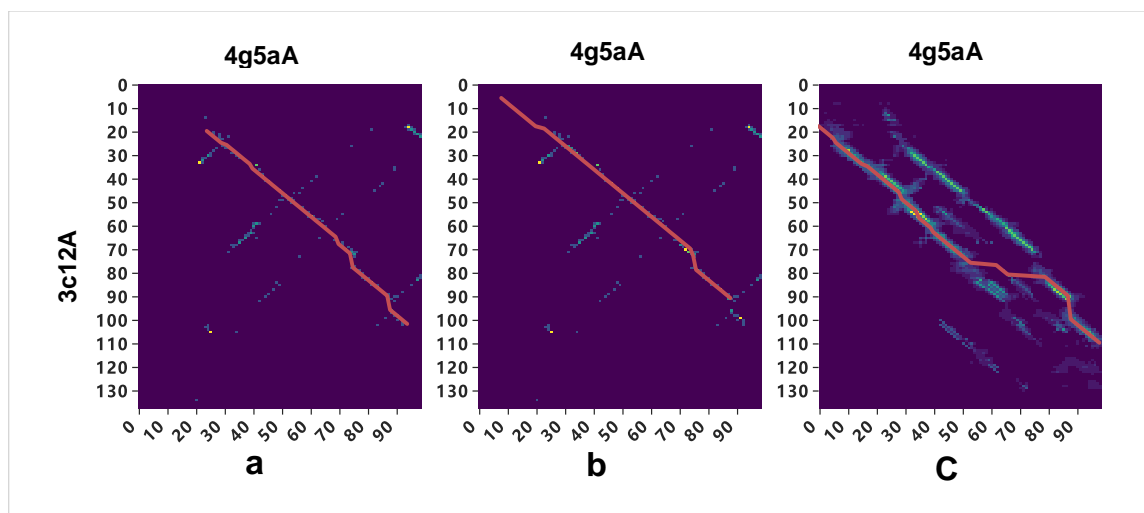


Fig. S2. Predicted alignment by HHPred and ProALIGN for proteins 3c12A-4g5aA. (a) Structural alignment matrix of the two proteins constructed by running DeepAlign. (b) Alignment predicted by HHPred (c) Predicted alignment likelihood matrix and the final predicted alignment

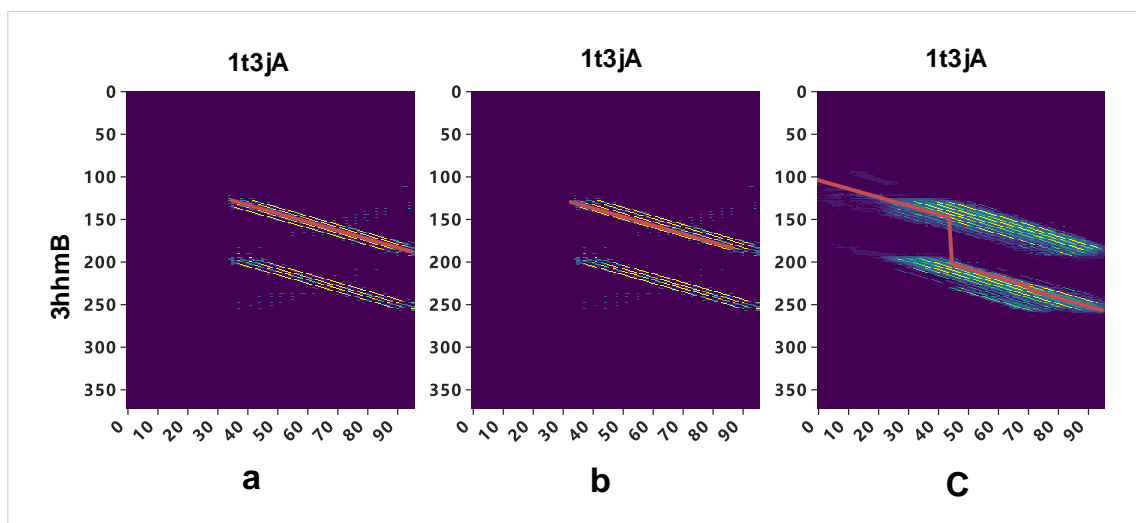


Fig. S3. Predicted alignment by HHPred and ProALIGN for proteins 3hhmB-1t3jA. (a) Structural alignment matrix of the two proteins constructed by running DeepAlign. (b) Alignment predicted by HHPred (c) Predicted alignment likelihood matrix and the final predicted alignment

an alignment likelihood matrix (shown in panel C) that differs from the ideal structural alignment matrix reported by DeepAlign (shown in panel A), thus leading to the failure of ProALIGN.

(2) Fail to construct final alignment: In the case of protein pair 3hhmB-1t3jA, ProALIGN generated high-quality alignment likelihood matrix that is close to the ideal structural alignment matrix reported by DeepAlign. However, ProALIGN failed to construct the final alignment. The possible reason might be the insufficient penalty score for gaps in middle of alignment.